

Approximation of a Logarithmic Pot
Using an Op-amp and a Linear Pot

 Selected APL symbols for non-users of APL
 APL is case sensitive. i.e. x and X are not the same object.
 +-*÷ mean the same as you were taught in elementary school.
 Since APL can deal with a list of numbers (vector), the minus sign
 cannot be used to indicate a negative constant. Instead - is used.
 Thus 5-2 ^3 is 3 8. - is never used with a variable.
 +/ means add up what follows, */ means multiply them together
 [/ gives the largest, [/ gives the smallest e.g. [/ 2 3 ^4 is 3
 ← is assignment e.g. x←2*3 gives x the value 6 whenever referred to
 ⍶ is format, used here mostly for simultaneous assignment and display
 * is the power function NOT MULTIPLICATION! 3*2 is 9 not 6
 *0.5 is used for square root. Pythagoras is written (+/x y*2)*0.5
 APL can do multiple calculations so +/x y*2 sums the squares of x and y
 More complicated operations can be kept in named "functions", e.g. Solve
 Int (numerical integration) and Plot. If you care how they work, ask.
 ⍎ what follows is a comment i.e. plain text at the end of an APL line
 ⋄ is used to separate short related statements on one line

I found that a reasonable approximation of a logarithmic transfer function
 suitable for audio tone and volume controls could be obtained using the
 circuit shown in Fig. 1.

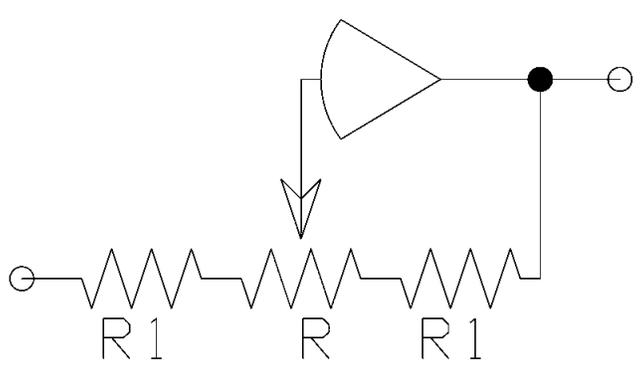
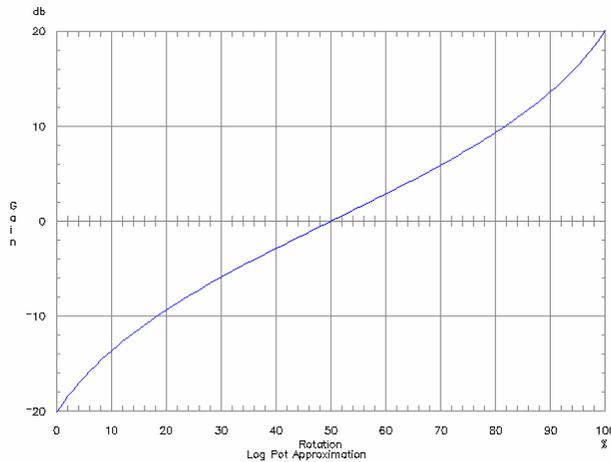


Fig. 1.

Choosing R=10K and R1=1.1K gives a slightly better than +/-20db range.
 R←10E3 ⋄ R1←1.1E3 ⋄ a←100 step 0 1
 PP←'' 'Log Pot Approximation' 'Rotation' 'Gain' '%' 'db'
 PP Plot (20×10⊙(R1+a×R)÷R1+(1-a)×R)Versus 100×a



Reducing R1 to 470 gives increased range at the expense of linearity of the db calibration.

R1 ← 470

PP Plot $(20 \times 10 \otimes (R1 + a \times R) \div R1 + (1 - a) \times R)$ Versus $100 \times a$

